

# Earman & Salmon, "Confirmation of Scientific Hypotheses" 2.1-2.4

## 2.1 Empirical Evidence

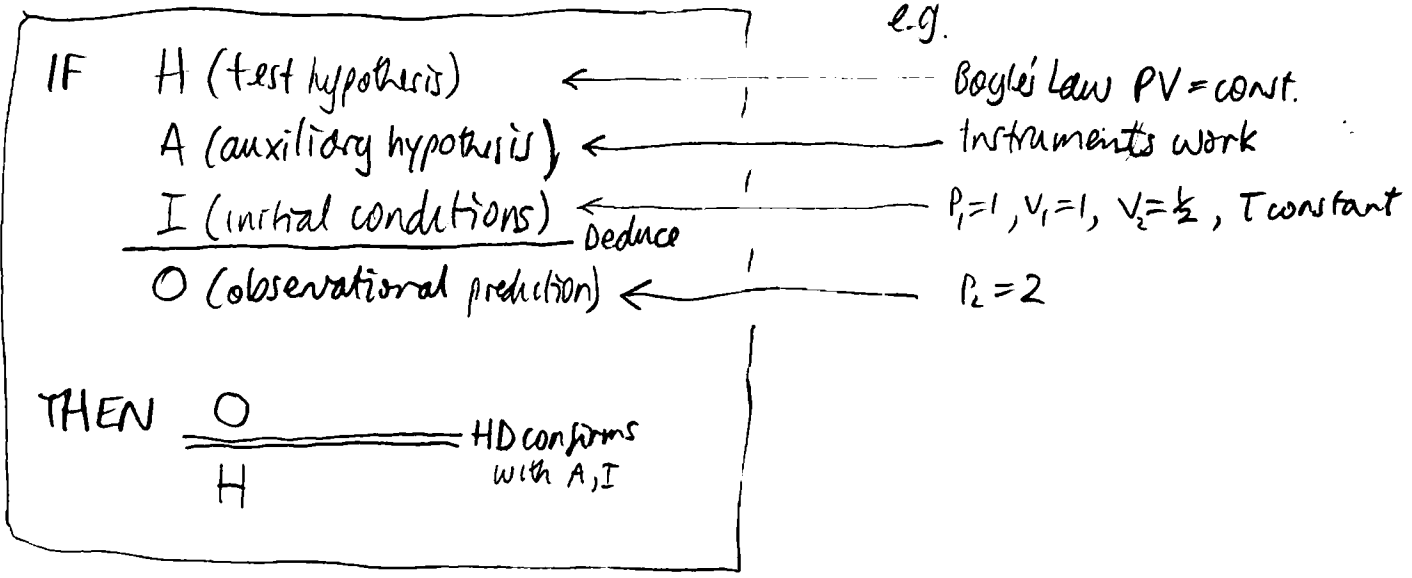
Observations: veridical or illusory  
                  correct                  not correct

Entities: (i) observed directly by unaided senses  
            (ii) observed indirectly by instrument  
            (iii) existence established by theoretical inference

Terms: observational vocabulary      Theoretical vocabulary

Need for ampliative = inductive inference

# 2.2. Hypothetico-Deductive Method

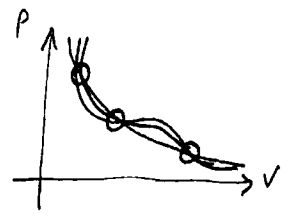


Refutation  $H \vdash O, \sim O \text{ then } \sim H$

# 2.3 Problems with Hypothetico-Deductive Method

Problem of alternate hypotheses

Infinitely many other H's entail same O.  
 All equally confirmed?  
 Prefer simplest? why?



Problem of statistical hypotheses

"Drug probably works"  
 logically compatible with  
 "All 100 patients died."

← i.e. does not entail that patients are cured, only that it is likely

## 2.4 Other Approaches to Confirmation

Enumerative induction in syllogistic logic

Some A's are B  
All A's are B

Extend to predicate logic  $\Rightarrow$

Nicod

$Ra \cdot Ba$   
confirms

$H: (x)(Rx \supset Bx)$

Hempel: No! Not invariant under logical equivalence

$H \equiv (x)(\sim Bx \supset \sim Rx)$  etc.

### Hempel's Conditions of Adequacy for qualitative confirmation

Danger! All satisfied by  $\vdash$

Entailment Condition if  $E \vdash H$ , then E confirms H

Consistency Condition if E confirms H and also H', then H and H' are logically consistent.

Special consequence condition if E confirms H and  $H \vdash H'$  then E confirms H'

e.g.  
 $\frac{E \text{ confirms } A \& B}{E \text{ confirms } A}$   
E confirms B

But NOT converse consequence condition if E confirms H and  $H' \vdash H$ , then E confirms H'.

since SCC + CCC  $\Rightarrow$  E confirms everything, if it confirms anything

$E \text{ confirms } H \xrightarrow{CCC} E \text{ confirms } H \& X \xrightarrow{SCC} E \text{ confirms } X$

Hempel's Essential Innovation : Logically robust notion of instance of hypothesis in predicate logic

$Dev_I(H) =$  Development of hypothesis H for individuals I  $\approx$  what H would say if individuals I were the only ones

Defined by Rules

$H$  is  $(x)B(x) \implies Dev_{\{a,b,\dots\}} H = B(a) \cdot B(b) \cdot \dots$

$H$  is  $(\exists x)R(x) \implies Dev_{\{a,b,\dots\}} H = R(a) \vee R(b) \vee \dots$

& MORE

Applied recursively

"Everybody loves somebody"

Hard work for arbitrarily complicated formulae.

$(x) (\exists y)(Lxy) = (x) Formula(x)$

$Dev_{\{a,b\}}$

$Dev(Formula(a)) \cdot Dev(Formula(b))$

$(Laa \vee Lab) \cdot (Lba \vee Lbb)$

The rest is mechanical, with a lot of "buts..."

$Dev_I H$  confirms  $H$

$\leftarrow Ra \supset Ba$  confirms  $(x)(Rx \supset Bx)$

but...

$E$  directly confirms  $H$   
just if

$E \vdash Dev_I H$

$\leftarrow Ra, Ba \vdash Ra \supset Ba$  confirms  $(x)(Rx \supset Bx)$

but...

$E$  Hempel confirms  $H$   
just if

$E$  directly confirms  
every member of a set  
of sentences  $K$  such  
that  $K \vdash H$

$\leftarrow$  Hence  $Ra, Ba$  confirms  $Rb \supset Bb$

but...

Lets more fussy, nuisance problems

e.g. some sentences in arithmetic have no  
developments for finite sets of individuals.

(e.g. Every number has a successor.)

# Paradox of the Ravens

Informally:  $(x)(Rx \supset Bx) \equiv (x)(\sim Bx \supset \sim Rx)$

↑ confirms

$Ra, Ba$

↑ confirms

$\sim Bb, \sim Rb$

"white shoe"

Also  
from  
Hempel's  
Definitions

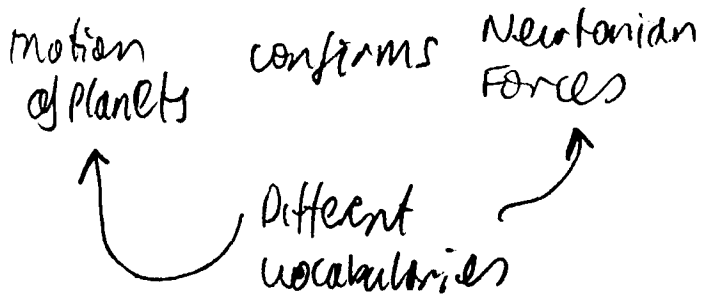
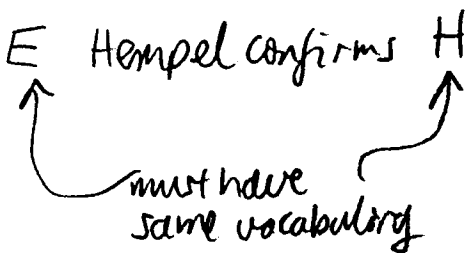
"white shoe" confirms

"All Ravens are Black"

## Grue

Later.

# Glymour's Bootstrap



so try:

