

Wireless Communications and Cellular Network Fundamentals

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Telcom 2700 Slides 4

Cellular Concept

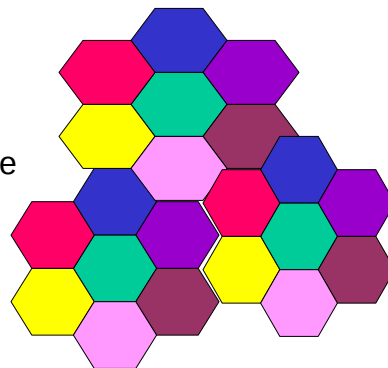


Proposed by Bell Labs 1971
Geographic Service divided into
smaller “cells”

Neighboring cells do not use same
set of frequencies to prevent
interference

Often approximate coverage
area of a cell by a idealized
hexagon

Increase system capacity
by frequency reuse.



Cellular Networks



- Propagation models represent cell as a circular area
- Approximate cell coverage with a hexagon - allows easier analysis
- Frequency assignment of F MHz for the system
- The multiple access techniques translates F to T traffic channels
- Cluster of cells K = group of adjacent cells which use all of the systems frequency assignment



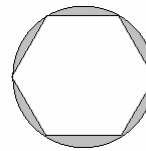
Theoretical
Propagation
Pattern



Cellular
Grid Design



Actual Cellular
Grid Layout



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Cellular Concept



- Why not a large radio tower and large service area?
 - Number of simultaneous users would be very limited (to total number of traffic channels T)
 - Mobile handset would have greater power requirement
- Cellular concept - small cells with frequency reuse
 - Advantages
 - lower power handsets
 - Increases system capacity with frequency reuse
 - Drawbacks:
 - Cost of cells
 - Handoffs between cells must be supported
 - Need to track user to route incoming call/message



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Cellular Concept (cont)



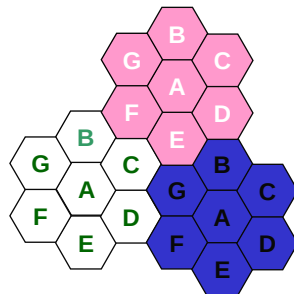
- Let T = total number of duplex channels
 K cells = size of cell cluster (typically 4, 7, 12, 21)
 $N = T/K$ = number of channels per cell
- For a specific geographic area, if clusters are replicated M times, then total number of channels
 - system capacity = $M \times T$
 - Choice of K determines distance between cells using the same frequencies – termed co-channel cells
 - K depends on how much interference can be tolerated by mobile stations and path loss



Cell Design - Reuse Pattern



- Example: cell cluster size $K = 7$, frequency reuse factor = $1/7$, assume $T = 490$ total channels, $N = T/K = 70$ channels per cell



Assume $T = 490$ total channels,
 $K = 7$, $N = 70$ channels/cell

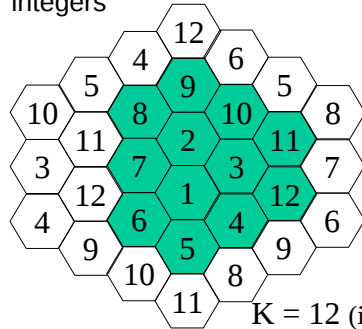
Clusters are replicated $M=3$
 times

System capacity = $3 \times 490 = 1470$
 total channels

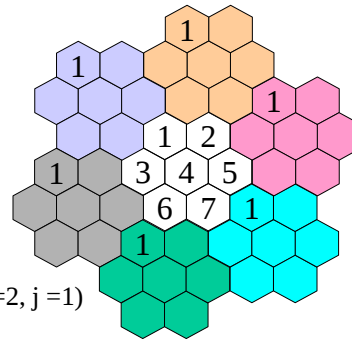
Cluster Size



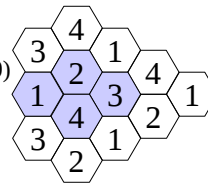
From geometry of grid of hexagons only certain values of K are possible if replicating cluster with out gaps
 $K = i^2 + ij + j^2$ where i and j are non-negative integers



$K = 7$ ($i=2, j=1$)



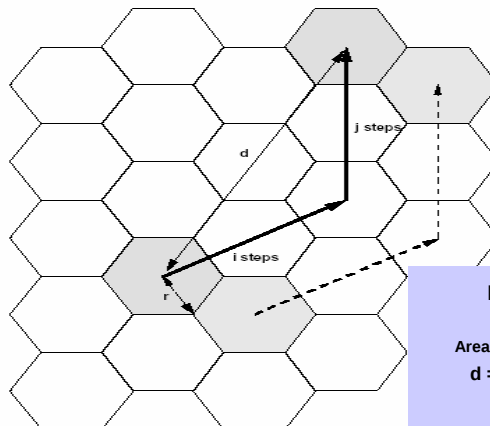
$K = 4$ ($i=2, j=0$)



Cellular Concepts



- To find co-channel neighbors of a cell, move i cells along any chain of hexagons, turn 60 degrees counterclockwise, and move j cells (example: $i=2, j=2, K=12$)



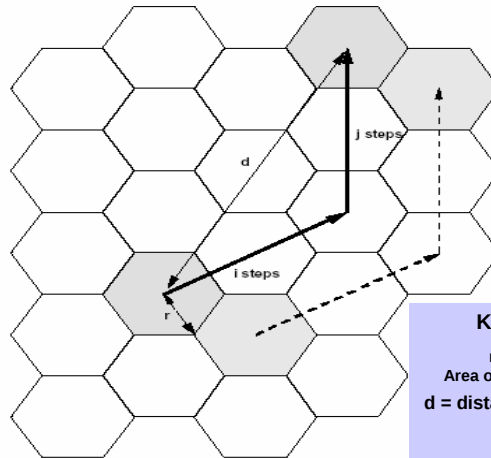
$$K = i^2 + ij + j^2$$

r = cell radius
 Area of hexagon = $2.61 r^2$
 d = distance to co-channel cell

Cellular Concepts



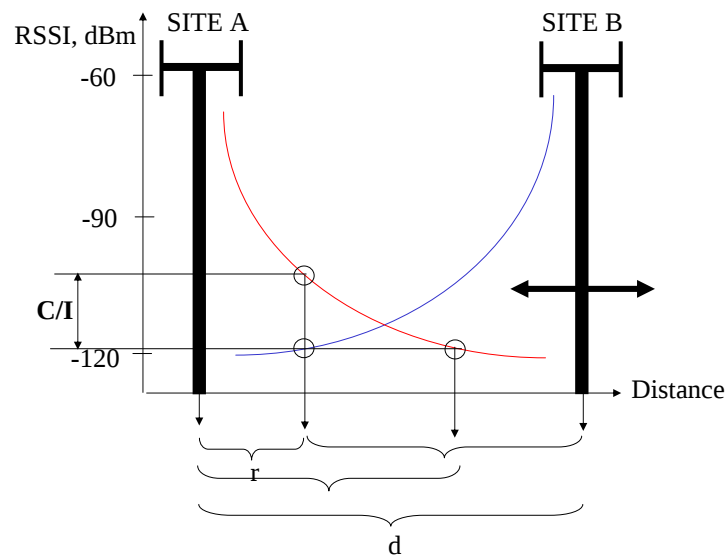
- From hexagonal geometry $d = r\sqrt{3K}$
- The quantity d/r is called the co-channel reuse ratio $d/r = \sqrt{3K}$



$$K = i^2 + ij + j^2$$

r = cell radius
 Area of hexagon = $2.61 r^2$
 d = distance to co-channel cell

Frequency Reuse



Frequency Reuse



Relate cluster size to carrier to co-channel interference ratio C/I at the edge of a cell

propagation model of the form

$$P_r = P_t L d^{-\alpha}$$

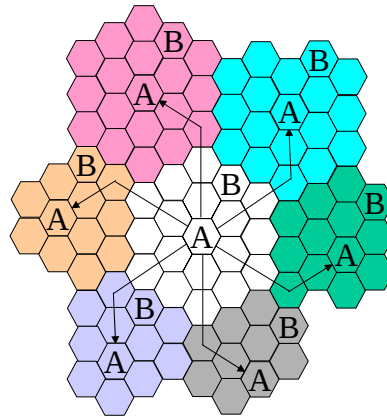
L = constant depending on frequency,

d = distance in meters,

α = path loss coefficient,

Then at edge of a cell in center of network the C/I is given by

$$\frac{C}{I} = \frac{P_t L r^{-\alpha}}{\sum_{j=1}^6 P_t L d^{-\alpha}} = \frac{1}{6} \left(\frac{r}{d} \right)^{-\alpha}$$



$K = 19$

Frequency Reuse



Solving for d/r results in

$$\frac{d}{r} = \left(\frac{6 C}{I} \right)^{1/\alpha}$$

Remember $d/r = \sqrt{3K}$,
which results in

$$K = \frac{1}{3} \left(\frac{6 C}{I} \right)^{2/\alpha}$$

Example: Consider cellular system with a C/I requirement of $C/I = 18$ dB and a suburban propagation environment with $\alpha = 4$, determine the minimum cluster size.

$$18 \text{ dB} \rightarrow 18 = 10 \log(x) \rightarrow$$

$$1.8 = \log(x) \rightarrow x = 10^{1.8} \rightarrow$$

$$X = 63.0957,$$

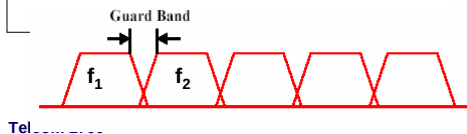
$$K = 1/3 \times (6 \times 63.0957)^{0.5} = 6.4857,$$

Since K must be an integer round up to nearest feasible cluster size
 $\Rightarrow K = 7$

Frequency Assignment

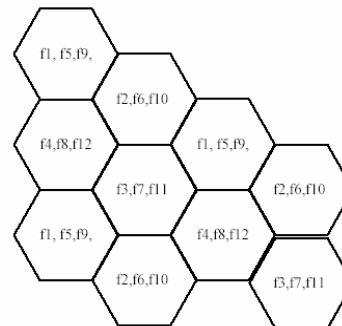


- Typical C/I values used in practice are 13-18 dB.
- Once the frequency reuse cluster size K determined frequencies must be assigned to cells
- Must maintain C/I pattern between clusters.
- Within a cluster – seek to minimize adjacent channel interference
- Adjacent channel interference is interference from frequency adjacent in the spectrum



Example: You are operating a cellular network with 25KHz NMT traffic channels 1 through 12. Labeling the traffic channels as {f1, f2, f3, f4, f5, f6, f7, f8, f9, f10, f11, f12}

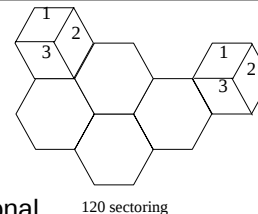
Place the traffic channels in the cells below such that a frequency reuse cluster size of 4 is used and adjacent channel interference is minimized



Sectoring

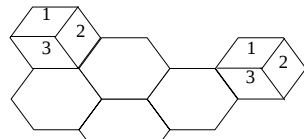


- Sectoring
 - used to improve the C/I ratio
 - make cluster size K smaller
- Use directional antennas rather than omni-directional
 - cell divided into 3 (120° sectoring) or 6 (60° sectoring) equally sized sectors
- Frequencies/traffic channels assigned to cells must be partitioned into 3 or 6 disjoint sets
- Reduces the number of co-channel cells causing interference
- Disadvantages: need *intra-cell* handoff, increases complexity



120 sectoring

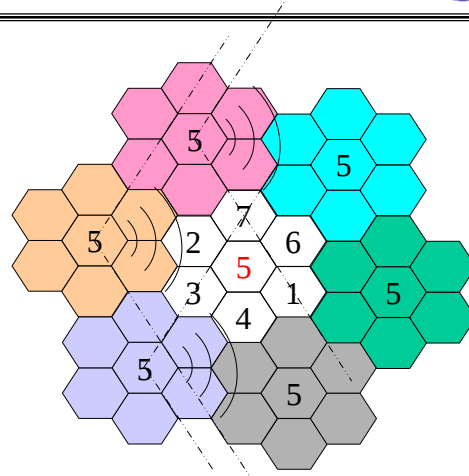
Sectoring



120 sectoring



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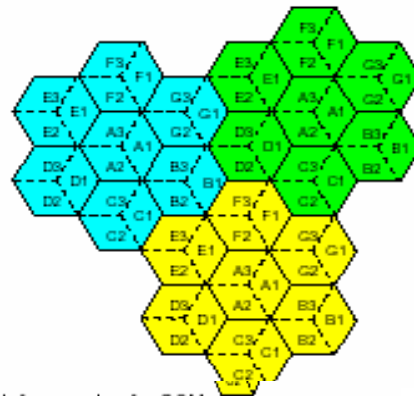


120° sectoring reduces number of interferers from 6 to 2

Sectored Frequency Planning



- Example: Allocate frequencies for a GSM operator in U.S. PCS B-block who uses a 7 cell frequency reuse pattern with 3 sectors per cell
- Use a Frequency Chart – available from FCC web site
- Groups frequencies into 21 categories Cells A-G and sectors 1-3 in each cell



Frequency Chart . 612-685 represent B-block frequencies for GSM

A1	B1	C1	D1	E1	F1	G1	A2	B2	C2	D2	E2	F2	G2	A3	B3	C3	D3	E3	F3	G3
612	613	614	615	616	617	618	619	620	621	622	623	624	625	626	627	628	629	630	631	632
633	634	635	636	637	638	639	640	641	642	643	644	645	646	647	648	649	650	651	652	653
654	655	656	657	658	659	660	661	662	663	664	665	666	667	668	669	670	671	672	673	674
675	676	677	678	679	680	681	682	683	684	685										

Sectored Frequency Planning



- Example: Allocate frequencies for a AMPS operator in cellular B-block who uses a 7 cell frequency reuse pattern with 3 sectors per cell
- Use a Frequency Chart – available from FCC web site
 - Groups frequencies into 21 categories Cells 1-7 and sectors A-B in each cell

Block B

1A	2A	3A	4A	5A	6A	7A	1B	2B	3B	4B	5B	6B	7B	1C	2C	3C	4C	5C	6C	7C
334	335	336	337	338	339	340	341	342	343	344	345	346	347	348	349	350	351	352	353	354
355	356	357	358	359	360	361														375
376	377	378	379	380	381	382														396
397	398	399	400	401	402	403														417
418	419	420	421	422	423	424														438
439	440	441	442	443	444	445														459
460	461	462	463	464	465	466														480
481	482	483	484	485	486	487														501
502	503	504	505	506	507	508														522
523	524	525	526	527	528	529														543
544	545	546	547	548	549	550														564
565	566	567	568	569	570	571														585
586	587	588	589	590	591	592	593	594	595	596	597	598	599	600	601	602	603	604	605	606
607	608	609	610	611	612	613	614	615	616	617	618	619	620	621	622	623	624	625	626	627
628	629	630	631	632	633	634	635	636	637	638	639	640	641	642	643	644	645	646	647	648
649	650	651	652	653	654	655	656	657	658	659	660	661	662	663	664	665	666	667	668	669
670	671	672	673	674	675	676	677	678	679	680	681	682	683	684	685	686	687	688	689	690
691	692	693	694	695	696	697	698	699	700	701	702	703	704	705	706	707	708	709	710	711
712	713	714	715	716	717	718	719	720	721	722	723	724	725	726	727	728	729	730	731	732
733	734	735	736	737	738	739	740	741	742	743	744	745	746	747	748	749	750	751	752	753
754	755	756	757	758	759	760	761	762	763	764	765	766	767	768	769	770	771	772	773	774
775	776	777	778	779	780	781	782	783	784	785	786	787	788	789	790	791	792	793	794	795
796	797	798	799																	

*Boldface numbers indicate 21 control channels for Block A and Block B respectively.

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Traffic Engineering



- Given or $N = T/K$ traffic channels per cell – what is grade of service (GoS) or how many users can be supported for a specific GoS
- Required grade of service?
 - Usually 2% blocking probability during busy hour
 - Busy hour may be
 1. busy hour at busiest cell
 2. system busy hour
 3. system average over all hours
- Basic analysis called *Traffic Engineering or Trunking*
 - same as circuit switched telephony
 - use Erlang B and Erlang C Models



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Traffic Engineering



- Estimate traffic distribution?
 - Traffic intensity is measured in Erlangs (mathematician AK Erlang)
 - One Erlang = completely occupied channel,
 - Example: a radio channel occupied for 30 min. per hour carries 0.5 Erlangs
 - Traffic intensity per user A_u
 - $A_u = \text{average call request rate} \times \text{average holding time} = \lambda \times t_h$
 - Total traffic intensity = traffic intensity per user $\times$ number of users = $A_u \times n_u$
 - Example 100 subscribers in a cell
 - 20 make 1 call/hour for 6 min $\Rightarrow 20 \times 1 \times 6/60 = 2E$
 - 20 make 3 calls/hour for $\frac{1}{2}$ min $\Rightarrow 20 \times 3 \times .5/60 = .5E$
 - 60 make 1 call/hour for 1 min $\Rightarrow 60 \times 1 \times 1/60 = 1E$
- 100 users produce 3.5 E load or 35mE per user

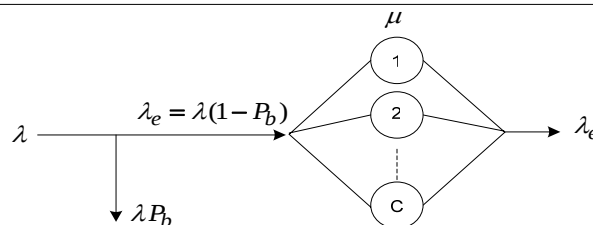


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Erlang B Model M/M/C/C queue



- To estimate the performance of a trunked system use the Erlang B queueing model
- The system has a finite capacity of size c , customers arriving when all servers busy are dropped
- *Blocked calls cleared model (BCC)*
- Assumptions
 - c identical servers process customers in parallel.
 - Customers arrive according to a Poisson process
 - Customer service times exponentially distributed



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M/M/C/C



Probability of a customer being blocked $B(c, a)$

$$B(c, a) = \frac{\frac{a^c}{c!}}{\sum_{n=0}^c \frac{a^n}{n!}}$$

$B(c, a) \Leftarrow$ Erlang's B formula, Erlang's blocking formula

Erlang B formula can be computed from the recursive formula

$$B(c, a) = \frac{a \cdot B(c-1, a)}{c + a \cdot B(c-1, a)}$$

Usually determined from table or charts

Example for 100 users with a traffic load of 3.5 E – how many channels are need in a cell to support 2% call blocking ?

From Erlang B table with 2% call blocking need 8 channels

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Traffic Engineering Erlang B table

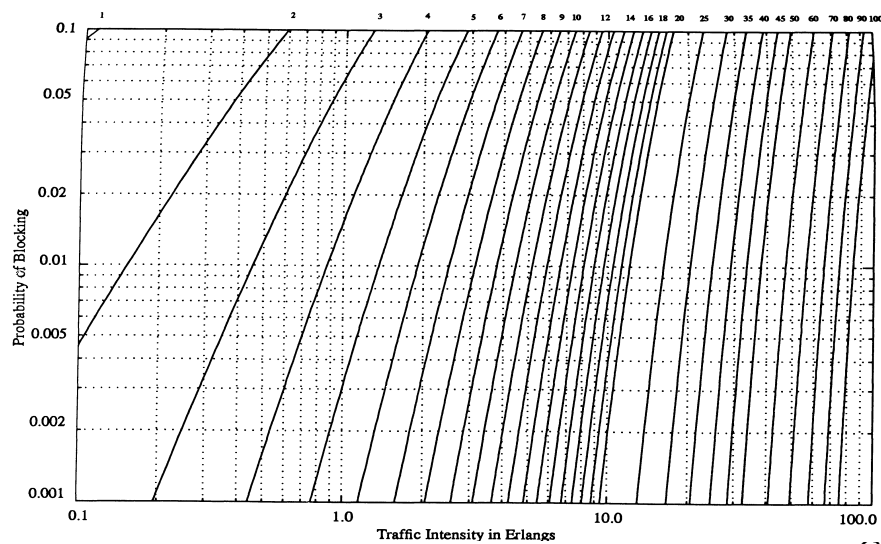


Appendix 1.1 Blocked-Calls-Cleared (Erlang B)

N	A, erlangs													
	B													
	1.0%	1.2%	1.5%	2%	3%	5%	7%	10%	15%	20%	30%	40%	50%	
1	.0101	.0121	.0152	.0204	.0309	.0526	.0753	.111	.176	.250	.429	.667	1.00	
2	.153	.168	.190	.223	.282	.381	.470	.595	.796	1.00	1.45	2.00	2.73	
3	.455	.489	.535	.602	.715	.899	1.06	1.27	1.60	1.93	2.63	3.48	4.59	
4	.869	.922	.992	1.09	1.26	1.52	1.75	2.05	2.50	2.95	3.99	5.02	6.50	
5	1.36	1.43	1.52	1.66	1.88	2.22	2.50	2.88	3.45	4.01	5.19	6.60	8.44	
6	1.91	2.00	2.11	2.28	2.54	2.96	3.30	3.76	4.44	5.11	6.51	8.19	10.4	
7	2.50	2.60	2.74	2.94	3.25	3.74	4.14	4.67	5.46	6.23	7.86	9.80	12.4	
8	3.13	3.25	3.40	3.63	3.99	4.54	5.00	5.60	6.50	7.37	9.21	11.4	14.3	
9	3.78	3.92	4.09	4.34	4.75	5.37	5.88	6.55	7.55	8.52	10.6	13.0	16.3	
10	4.46	4.61	4.81	5.08	5.53	6.22	6.78	7.51	8.62	9.68	12.0	14.7	18.3	
11	5.16	5.32	5.54	5.84	6.33	7.08	7.69	8.49	9.69	10.9	13.3	16.3	20.3	
12	5.88	6.05	6.29	6.61	7.14	7.95	8.61	9.47	10.8	12.0	14.7	18.0	22.2	
13	6.61	6.80	7.05	7.40	7.97	8.83	9.54	10.5	11.9	13.2	16.1	19.6	24.2	
14	7.35	7.56	7.82	8.20	8.80	9.73	10.5	11.5	13.0	14.4	17.5	21.2	26.2	
15	8.11	8.33	8.61	9.01	9.65	10.6	11.4	12.5	14.1	15.6	18.9	22.9	28.2	
16	8.88	9.11	9.41	9.83	10.5	11.5	12.4	13.5	15.2	16.8	20.3	24.5	30.2	
17	9.65	9.89	10.2	10.7	11.4	12.5	13.4	14.5	16.3	18.0	21.7	26.2	32.2	
18	10.4	10.7	11.0	11.5	12.2	13.4	14.3	15.5	17.4	19.2	23.1	27.8	34.2	
19	11.2	11.5	11.8	12.3	13.1	14.3	15.3	16.6	18.5	20.4	24.5	29.5	36.2	
20	12.0	12.3	12.7	13.2	14.0	15.2	16.3	17.6	19.6	21.6	25.9	31.2	38.2	

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Traffic Engineering



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M/M/C/C



Other performance metrics can be related to Erlang B formula $B(c, a)$

The carried load

$$\lambda_e = \lambda \cdot (1 - B(c, a)) \quad \leftarrow \text{Effective throughput of the system}$$

Mean server utilization

$$\rho_e = \frac{a}{c} \cdot (1 - B(c, a))$$

Mean number in the system

$$L = \frac{a}{\mu} \cdot (1 - B(c, a))$$

Average delay in the system

$$W = \frac{1}{\mu}$$

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Traffic Engineering Example

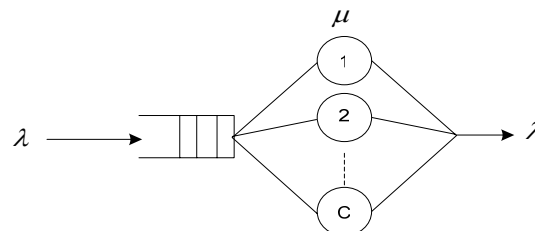


- Consider a single analog cell tower with 56 traffic channels, when all channels are busy calls are blocked. Calls arrive according to a Poisson process at a rate of 1 call per active user an hour. During the busy hour 3/4 the users are active. The call holding time is exponentially distributed with a mean of 120 seconds.
- (a) What is the maximum load the cell can support while providing 2% call blocking?
From the Erlang B table with $c = 56$ channels and 2% call blocking the maximum load = 45.9 Erlangs
- (b) What is the maximum number of users supported by the cell during the busy hour?
Load per active user = 1 call $\times$ 120 sec/call $\times$ 1/3600 sec = 33.3 mErlangs
Number active users = $45.9 / (0.0333) = 1377$
Total number users = $4/3$ number active users = 1836
- Determine the utilization of the cell tower ρ
 $\rho = \alpha / c = 45.9 / 56 = 81.96\%$

Erlang C M/M/C Model



- C identical servers processes customers in parallel.
- Customers arrive according to a Poisson process
- Customer service times exponentially distributed
- Infinite system capacity.
- Blocked calls delayed model (BCD)
- Analyze using Markov Process of $n(t)$ – number of customers in the system at time t



Erlang C model



Probability of a customer being delayed $C(c,a)$

$$C(c,a) = \sum_{j=c}^{\infty} \pi_j = \frac{\frac{a^c}{(c-1)!(c-a)}}{\sum_{n=0}^{c-1} \frac{a^n}{n!} + \frac{a^c}{(c-1)!(c-a)}}$$

$C(c,a) \leftarrow$ Erlang's C formula, Erlang's delay formula
In the telephone system, $C(c,a)$ represents a blocked call delayed (BCD).
Typically compute $C(c,a)$ using a table like Erlang B model

Erlang C Traffic Table
Maximum Offered Load Versus B and N
B is in %

N/B	0.01	0.05	0.1	0.5	1.0	2	5	10	15	20	30
1	.0001	.0005	.0010	.0050	.0100	.0200	.0500	.1000	.1500	.2000	.3000
2	.0142	.0319	.0452	.1025	.1465	.2103	.3422	.5000	.6278	.7403	.9390
3	.0360	.1490	.1894	.3339	.4291	.5545	.7876	1.040	1.231	1.393	1.657
4	.2310	.3533	.4257	.6641	.8100	.9939	1.319	1.653	1.889	2.102	2.440
5	.4428	.6289	.7342	1.065	1.259	1.497	1.905	2.313	2.607	2.847	3.241
6	.7110	.9616	1.099	1.519	1.758	2.047	2.532	3.007	3.344	3.617	4.062
7	1.026	1.341	1.510	2.014	2.297	2.633	3.188	3.725	4.103	4.406	4.897
8	1.382	1.758	1.958	2.543	2.866	3.246	3.869	4.463	4.878	5.210	5.744
9	1.771	2.208	2.436	3.100	3.460	3.883	4.569	5.218	5.668	6.027	6.600
10	2.189	2.685	2.942	3.679	4.077	4.540	5.285	5.986	6.469	6.853	7.465

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Erlang C Model



Other performance measures expressed in terms of $C(c,a)$

$$L_q = \left(\frac{a}{c-a} \right) \cdot C(c,a)$$

$$L = L_q + a$$

$$W_q = \frac{L_q}{\lambda} = \frac{\frac{1}{\mu} C(c,a)}{c-a}$$

$$W = W_q + \frac{1}{\mu}$$

Erlang C model



Distribution of the waiting time in the queue

$$P\{w_q \leq t\} = 1 - C(c, a) \cdot e^{-c\mu(1-\rho)t}$$

The p th percentile of the time spent waiting in the queue t_p

$$t_p = \frac{-\ln\left(\frac{1-p}{C(c, a)}\right)}{c\mu(1-\rho)}$$

Note: $\rho > 1 - C(c, a)$

Traffic Engineering Example 3



- A service provider receives unsuccessful call attempts to wireless subscribers at a rate of 5 call per minute in a given geographic service area. The unsuccessful calls are processed by voice mail and have an average mean holding time of 1 minute. When all voice mail servers are busy – customers are placed on hold until a server becomes free.
- Determine the minimum number of servers to keep the percentage of customers placed on hold < or equal to 1%
The offered load is $a = 5 \text{ call per minute} \times 1 \text{ minute/call} = 5$
From the Erlang C tables 13 servers are needed.
- Determine the .995% of the delay in access the voice servers
- With $p = .995$, $C(c, a) = .01$, $c = 13$, and $\mu = 1$

$$t_p = \frac{-\ln\left(\frac{1-p}{C(c, a)}\right)}{c\mu(1-\rho)} \quad \text{yields } t_p = .0866 \text{ minute} = 5.2 \text{ secs}$$

Multiple Access and Mode



- Mode how two parties shares channel during conversation
 - Simplex – one way communication (e.g., broadcast AM)
 - Duplex – two way communication
 - TDD – time division duplex – users take turns on the channel
 - FDD – frequency division duplex – users get two channels – one for each direction of communication
 - For example one channel for uplink (mobile to base station) another channel for downlink (base station to mobile)
- Multiple Access determines how users in a cell share the frequency spectrum assigned to the cell:
 - FDMA, TDMA, CDMA
- Wireless systems often use a combination of schemes;
GSM – FDD/FDMA/TDMA

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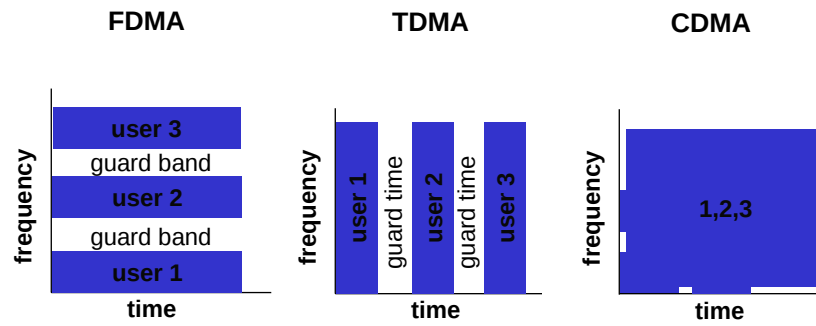
Multiple Access Techniques



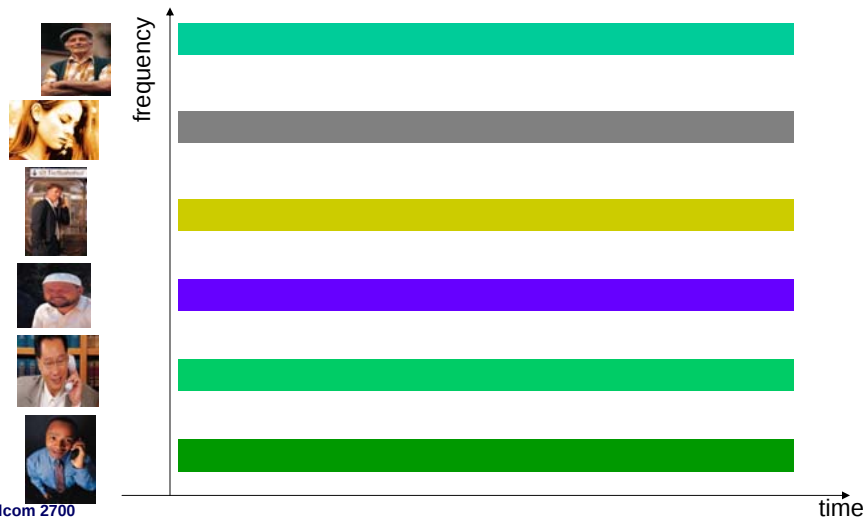
- FDMA (frequency division multiple access)
 - separate spectrum into non-overlapping frequency bands
 - assign a certain frequency to a transmission channel between a sender and a receiver
 - different users share use of the medium by transmitting on non-overlapping frequency bands at the *same time*
- TDMA (time division multiple access):
 - assign a fixed frequency to a transmission channel between a sender and a receiver for a certain amount of time (users share a frequency channel in time slices)
- CDMA (code division multiple access):
 - assign a user a unique code for transmission between sender and receiver, users transmit on the same frequency at the same time

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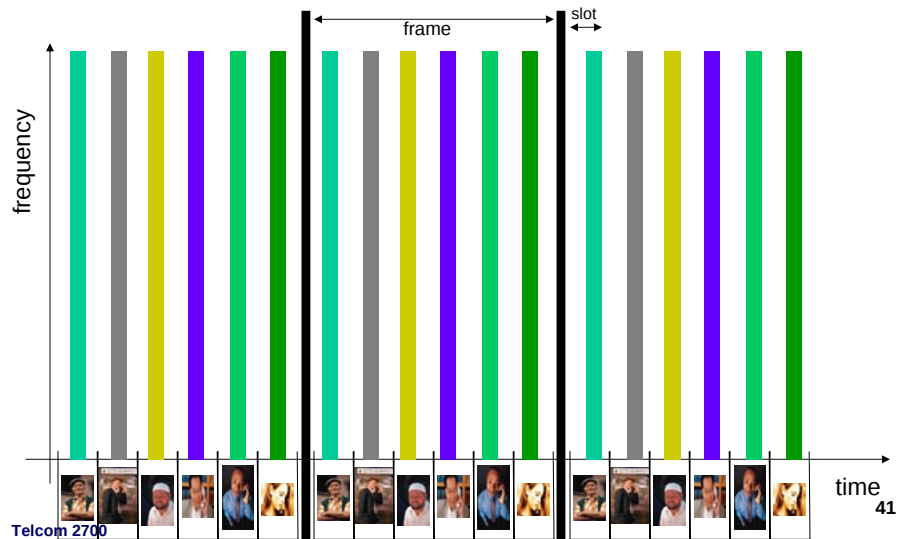
Multiple Access (cont)



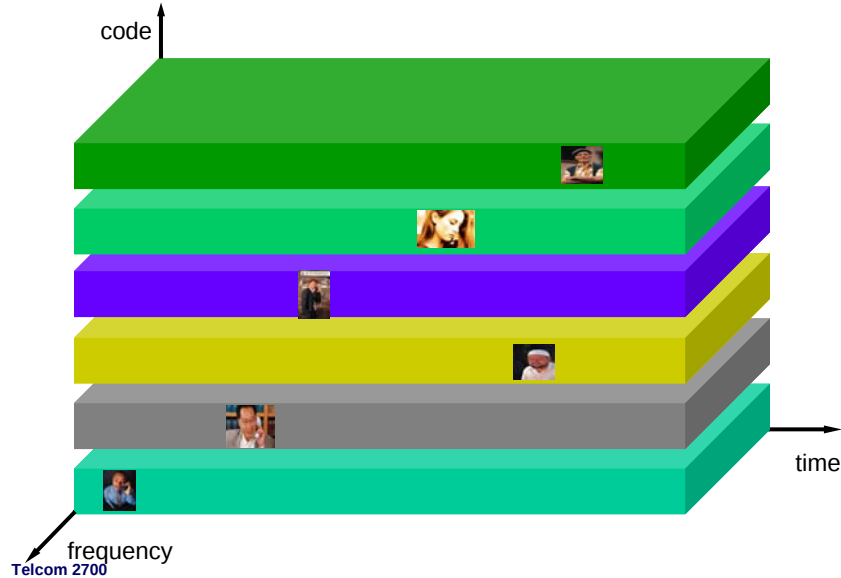
Frequency division multiple access



Time Division Multiple Access



Code Division Multiple Access



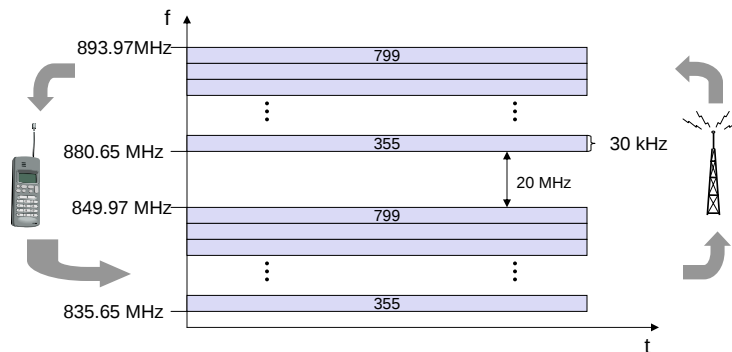
FDMA



- FDMA is simplest and oldest method
- Bandwidth F is divided into T non-overlapping frequency channels
 - Guard bands minimize interference between channels
 - Each station is assigned a different frequency
- Can be inefficient if more than T stations want to transmit or traffic is bursty (resulting in unused bandwidth and delays)
- Receiver requires high quality filters for adjacent channel rejection
- Used in First Generation Cellular (AMPS, NMT, TACS)



FDD/FDMA - general scheme, example AMPS (B block)



$$f(c) = 825,000 + 30 \times (\text{channel number}) \text{ KHz} \text{ <- uplink}$$

$$f(c) = f \text{ uplink} + 45,000 \text{ KHz} \text{ <- downlink}$$

In general all systems use some form of FDMA

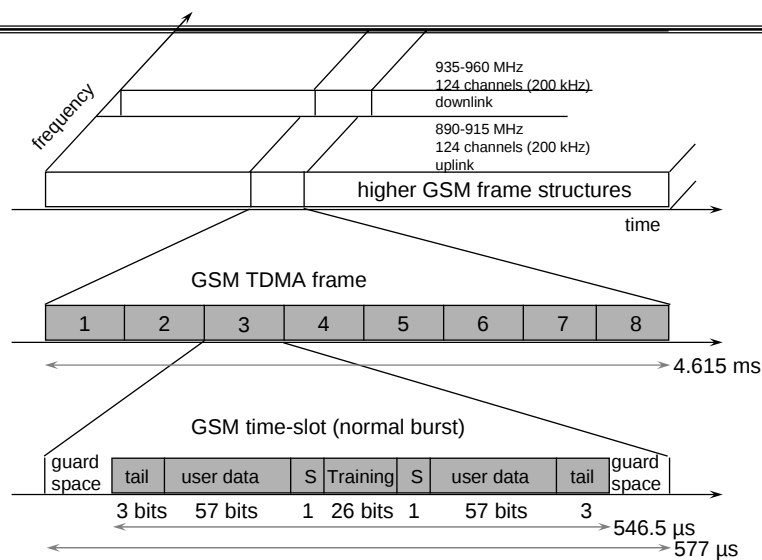


TDMA

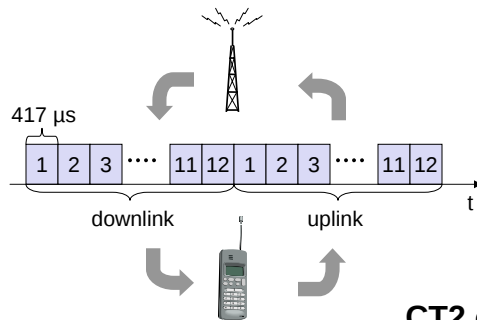


- Users share same frequency band in non-overlapping time intervals, eg, by round robin
- Receiver filters are just windows instead of bandpass filters (as in FDMA)
- Guard time can be as small as the synchronization of the network permits
 - All users must be synchronized with base station to within a fraction of guard time
 - Guard time of 30-50 microsec common in TDMA
- Used in GSM, NA-TDMA, (PDC) Pacific Digital Cellular

GSM - TDMA/FDMA/FDD



TDD/TDMA - example



**CT2 cordless
phone standard**

CDMA



- **Code Division Multiple Access**

- Narrowband message signal is multiplied by very large bandwidth spreading signal using direct sequence spread spectrum
- All users can use *same carrier frequency* and may transmit simultaneously
- Each user has own unique access spreading codeword which is approximately orthogonal to other users codewords
- Receiver performs time correlation operation to detect only specific codeword, other users codewords appear as noise due to decorrelation
- Cocktail party example

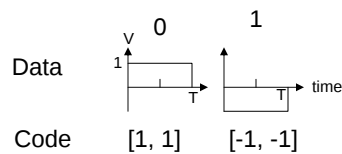


Simple example illustrating CDMA



Traditional

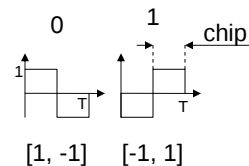
- To send a 0, send +1 V for T seconds
- To send a 1, send -1 V for T seconds
- Use separate time slots or frequency bands to separate signals



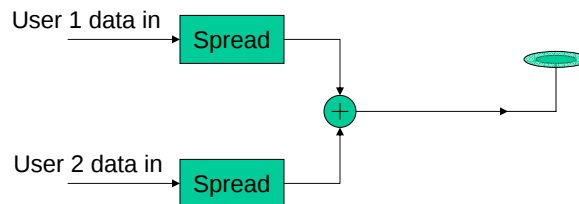
Telcom 2700

Simple CDMA

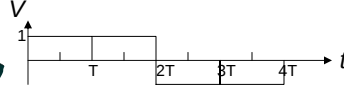
- To send a 0, Bob sends +1 V for T seconds; Alice sends +1 V for T/2 seconds and -1 V for T/2 seconds
- To send a 1, Bob sends -1 V for T seconds; Alice sends -1 V for T/2 seconds and +1 V for T/2



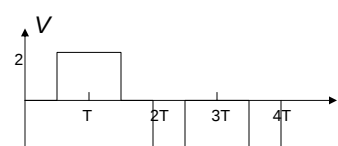
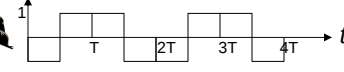
Simple CDMA Transmitter



$$0011 = [1, 1, 1, 1, -1, -1, -1, -1]$$



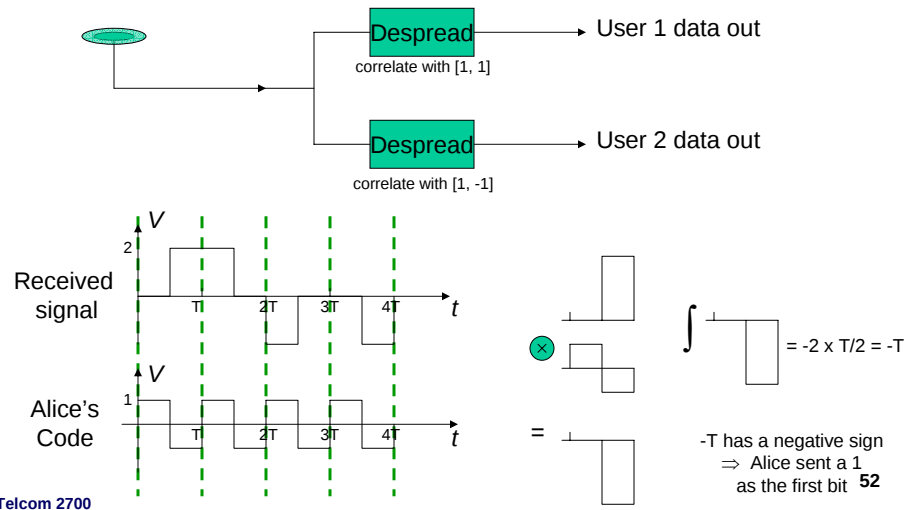
$$1010 = [-1, 1, 1, -1, -1, 1, 1, -1]$$



Transmitted signal 51

Telcom 2700

Simple CDMA Receiver



Telcom 2700

Simple CDMA continued



- Proceeding in this fashion for each "bit", the information transmitted by Alice can be recovered
- To recover the information transmitted by Bob, the received signal is correlated bit-by-bit with Bob's code $[1,1]$
- Such codes are "orthogonal"
 - Multiply the codes element-wise
 - $[1,1] \times [1,-1] = [1,-1]$
 - Add the elements of the resulting product
 - $1 + (-1) = 0 \Rightarrow$ the codes are orthogonal
- CDMA used in IS-95 standard and both 3G standards: UMTS, cdma2000
- CDMA has big capacity advantage as frequency reuse cluster size = 1

3

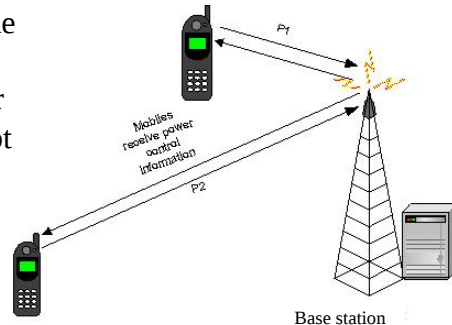
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CDMA Properties: Near-Far Problem



- A CDMA receiver cannot successfully despread the desired signal in a high multiple-access-interference environment

- Unless a transmitter close to the receiver transmits at power lower than a transmitter farther away, the far transmitter cannot be heard
- *Power control* must be used to mitigate the near-far problem
- Mobile transmit so that power levels are equal at base station



Summary



- Diversity Techniques
 - Error Control Coding
 - Interleaving
 - Adaptive Equalizers
 - Frequency Hopping Spread Spectrum
 - Direct Sequence Spread Spectrum
 - Link Budget
- Traffic Engineering
 - Frequency Reuse
 - Erlang B and Erlang C model
- Mode and Multiple Access
 - TDD/FDD
 - FDMA
 - TDMA
 - CDMA

