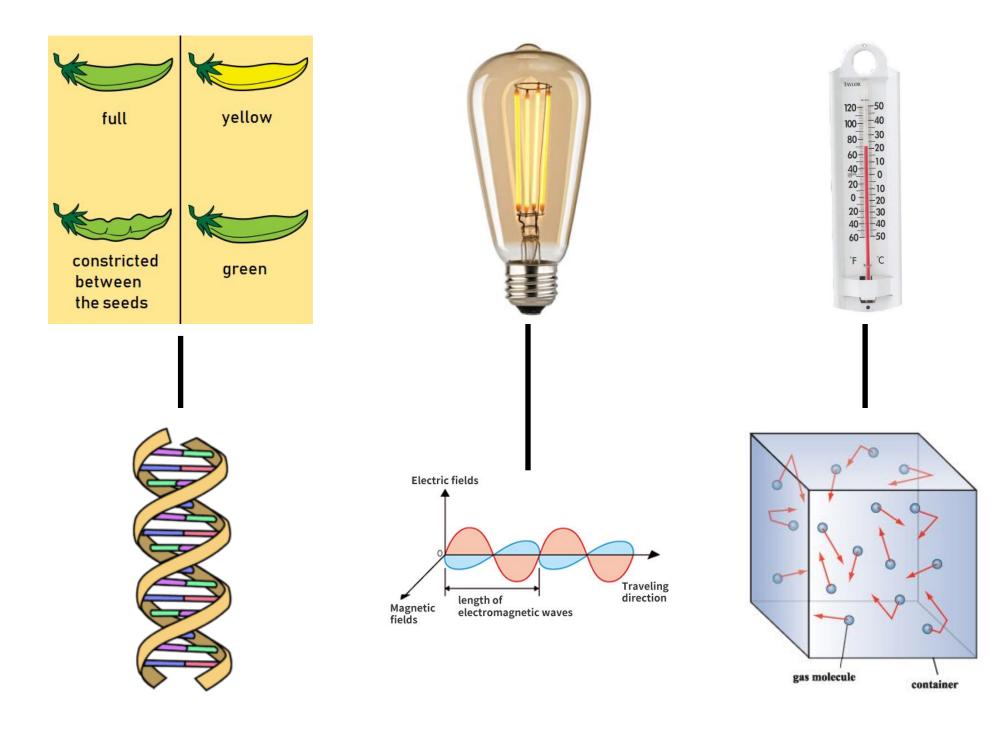
Brit. J. Phil. Sci. 51 (2000), 115-145

Multiple Realizability and Universality Robert W. Batterman

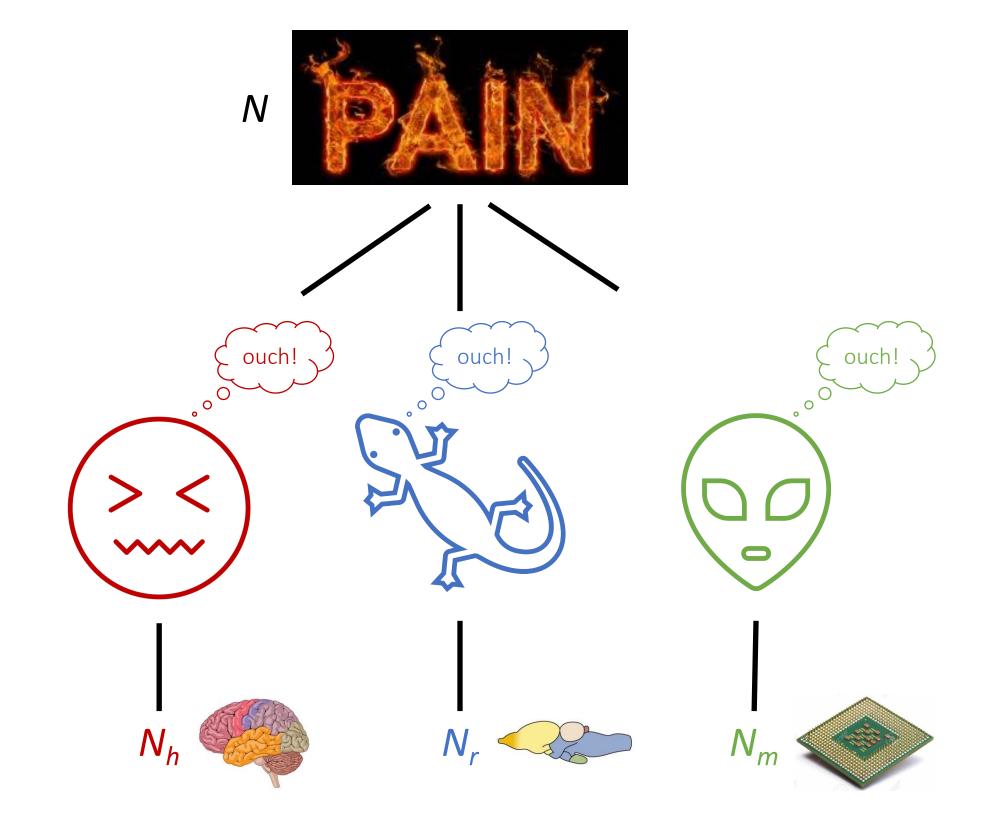
Outline

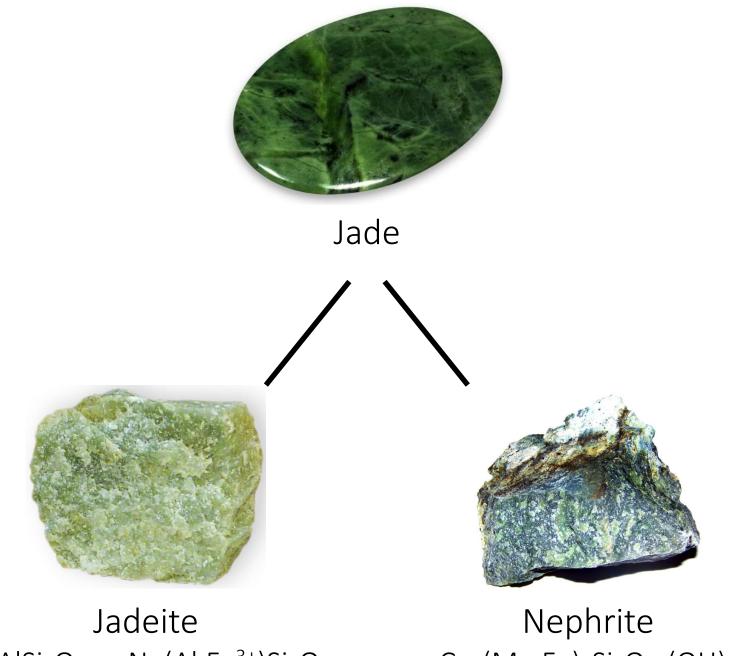
- what's the problem?
- what's Batterman's position?
- renormalization group
- special sciences



Multiple Realization Thesis:

upper-level properties are potentially realized by a wide variety of heterogeneous lower-level physical states



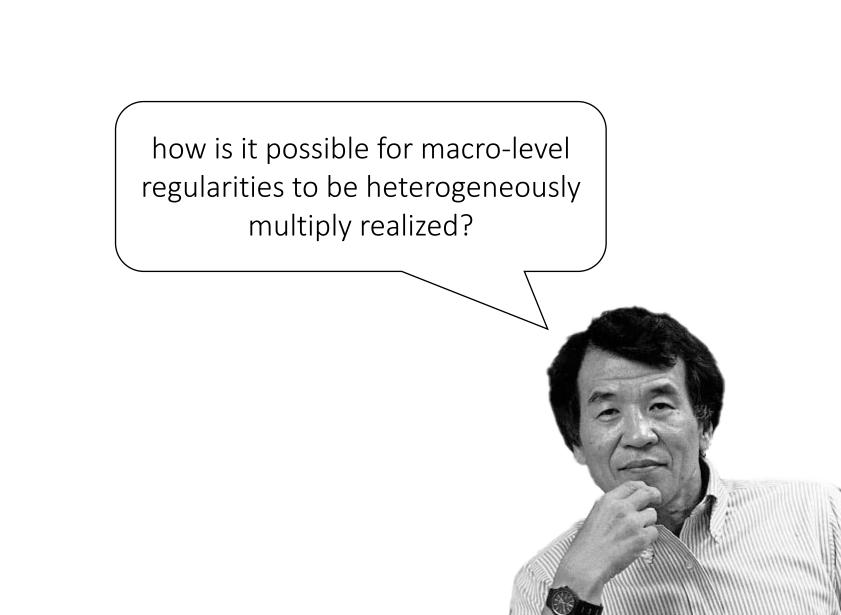


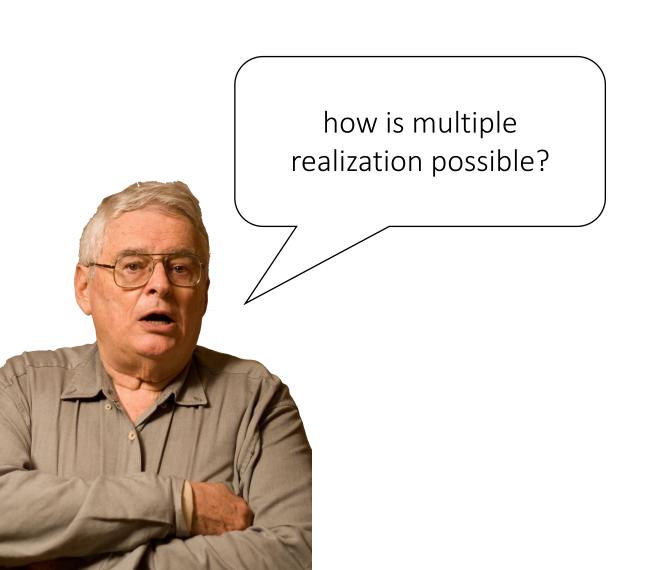
NaAlSi₂O₆ or Na(Al,Fe³⁺)Si₂O₆

 $Ca_2(Mg,Fe)_5Si_8O_{22}(OH)_2$

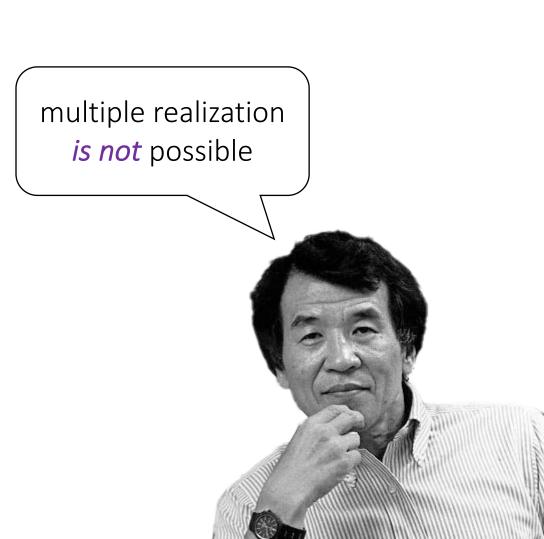
Pain: $N \stackrel{?}{=} N_h \vee N_r \vee N_m$

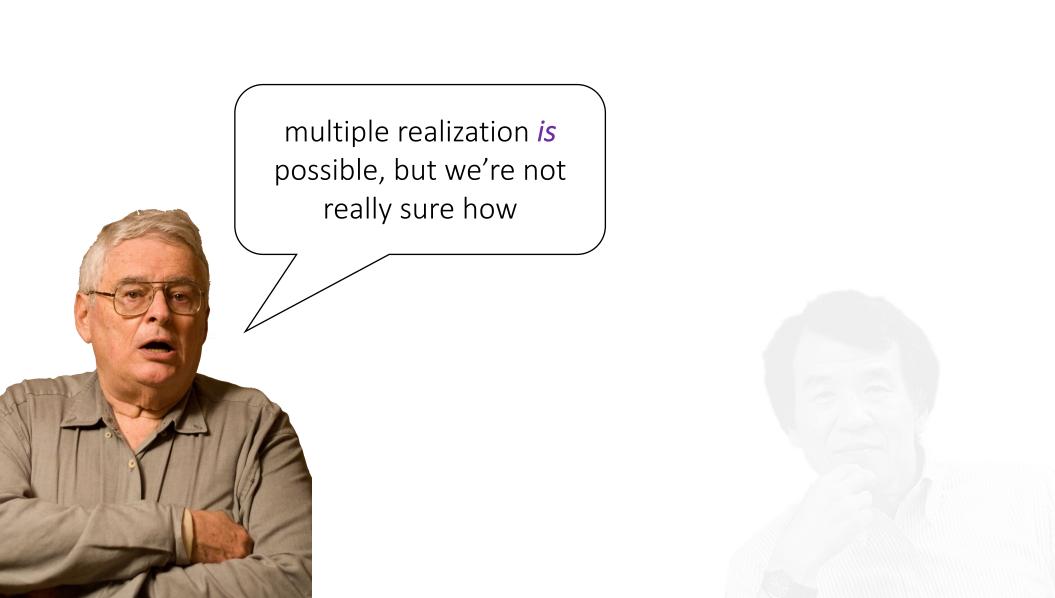












multiple realization *is* possible, *and* there are some sort of constraints...

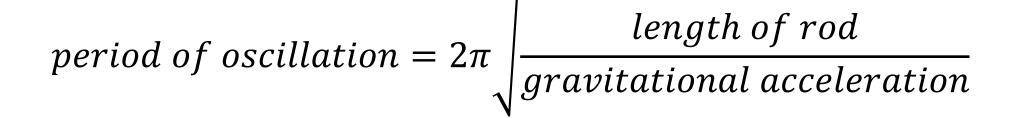


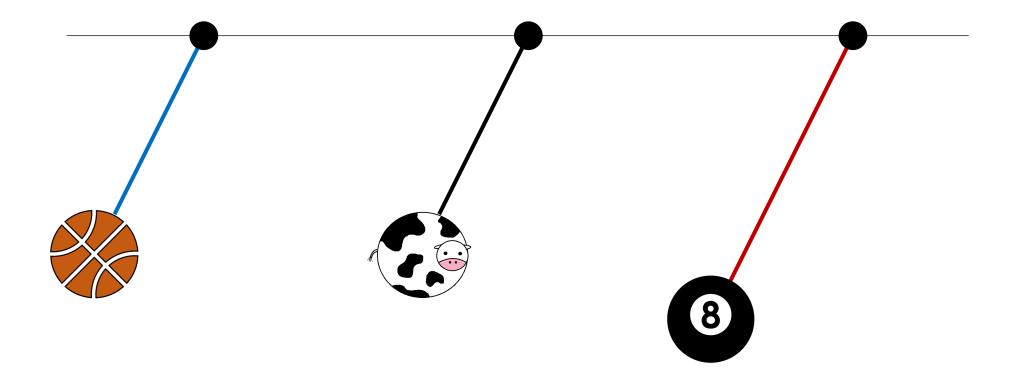
multiple realization *is* possible, *and* there are some sort of constraints... in the form of *universality*

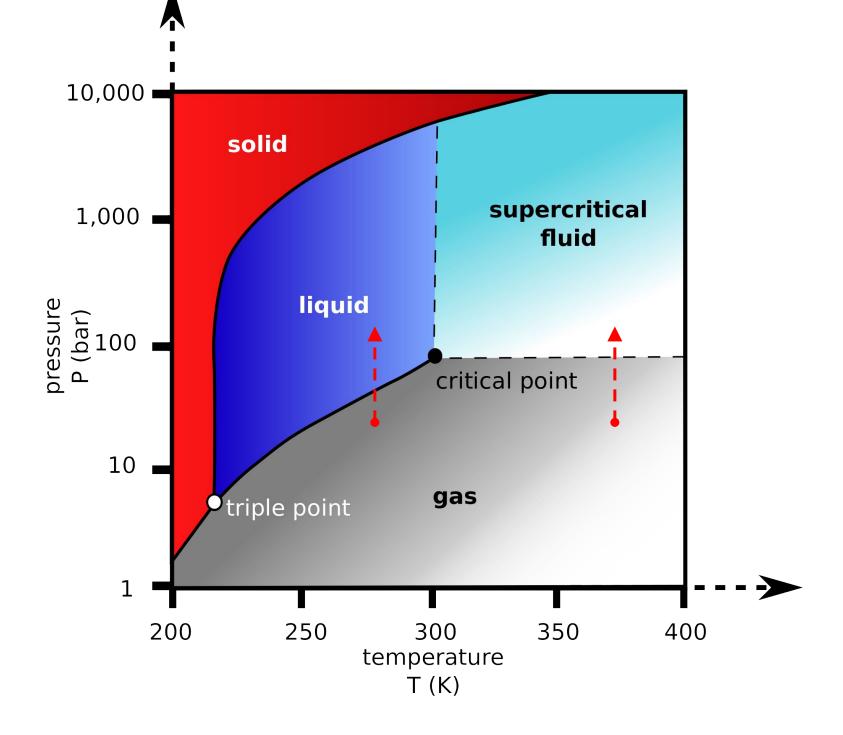
To Be Established

- 1. the phenomenon of multiple realizability is an instance of universality
- 2. it is reasonable to expect that the same sort of strategy can be broadly applied to the special sciences

universality concerns similarities in the behavior of diverse systems

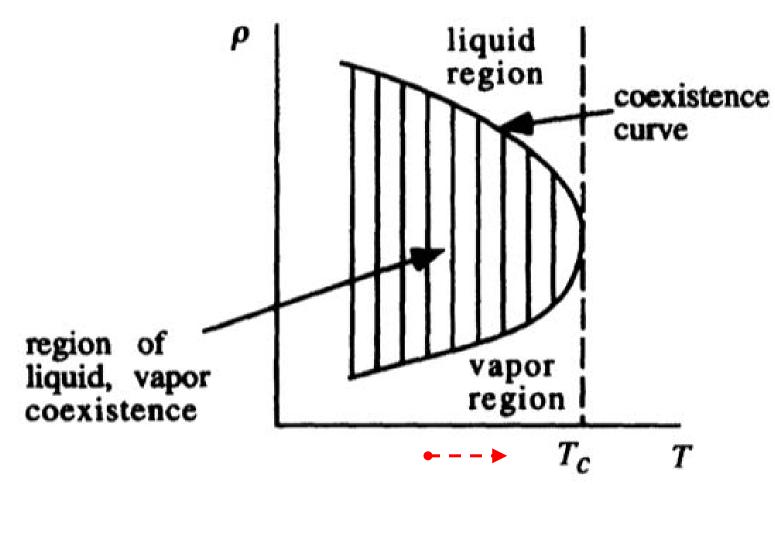






Universality

- 1. the details of the micro-structure of a given fluid are largely *irrelevant* for describing the behavior of the particular system of interest
- 2. many different systems with distinct microstructures exhibit identical behavior characterized by *the same critical exponent*



$$\Psi = \rho_{liq} - \rho_{vap} \sim \left| \frac{T - T_c}{T_c} \right|^{\beta}$$

$$\beta \cong 0.33$$

$$\Psi_F = \rho_{liq} - \rho_{vap} \sim |t|^{0.33}$$

$$\Psi_M = M \sim |t|^{0.33}$$

 $i\boldsymbol{h}\frac{\partial}{\partial t}|\psi(t)\rangle = \hat{H}|\psi(t)\rangle$ $\Psi_F \sim |t|^{0.33}$

Renormalization Group

- Hamiltonian
- weak correlations
- correlation length
- critical point
- infinities
- renormalization

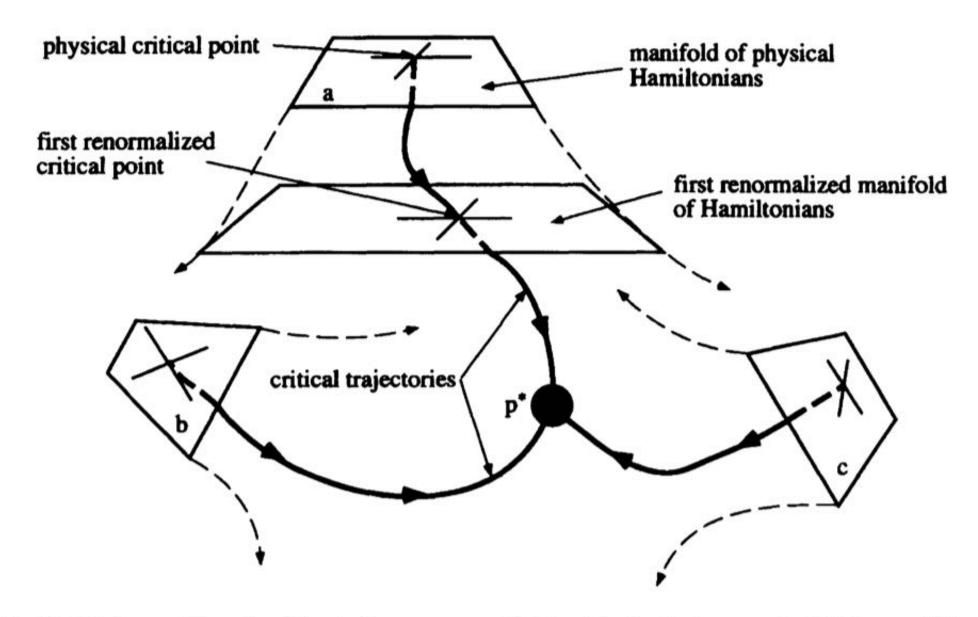


Fig 7. Universality of critical phenomena. Critical trajectories are bold lines. p^* is a common fixed point for the three distinct physical critical points on the manifolds a, b, and c.

Summary

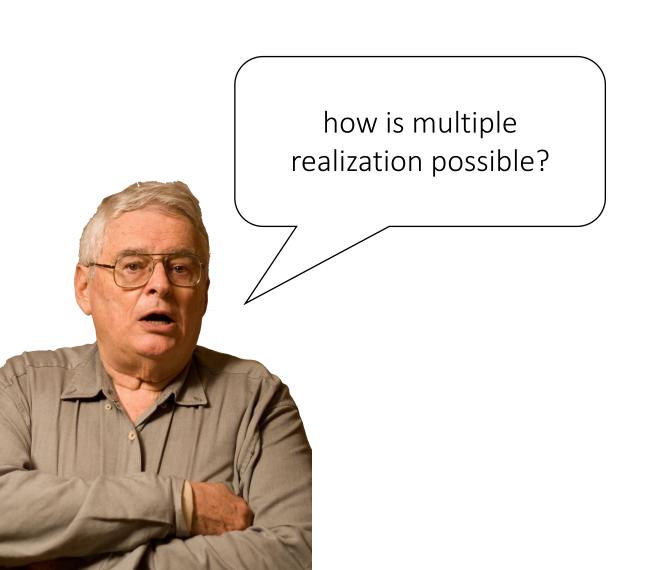
- stability under perturbation
- relevant properties
- lower-level properties
- upper-level properties

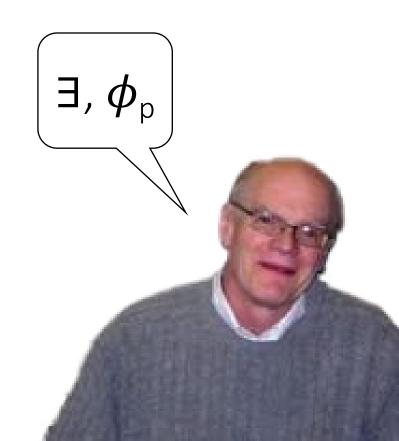
Explanatory Strategy

- detail independence
- universality classes
- asymptotic analysis
- stability under perturbation
- multiple realization

renormalization group explanatory strategy









Gems



pushing past the point of intractability



existence proof



two-part strategy

Discussion

- how successful was Batterman in establishing that universality is an instance of multiple realizability?
- how successful was Batterman in extending this analysis to the special sciences?

