ECE 142 Computer Organization Midterm 1

Instructor: Jun Yang

		ent Name:
A.	questic 1. (a)	each) Multiple choices. Select the only correct answer from the following ons. What is the Octal representation of value 693 ₁₀ ? 5321 (b) 1265 (c) 5324 (d) 7265 aswer:(b)
	(a)	What is the hexadecimal representation of value 11703 ₁₀ ? 0xB6D3 (b) 0xEDB7 (c) 0x2DB7 (d) 0xB6DC aswer:(c)
	(a)	The 32-bit FP number 1111111110000000000000000000000000000
	4.	As we learned from class, to implement a-b in an ALU, we do not perform subtraction directly. Instead, we perform: (a) a+b (b) b-a (c) -a-b (d) a+(-b) Answer:(d)
	5.	What is the decimal value of 32-bit FP number 0000000011111111111111111111111111111
	6.	To test if two numbers are equal, we use the ALU to perform (a) An "AND" and test if the result is the same as any of the inputs (b) An "OR" and test if the result is the same as any of the inputs (c) An "Add" and test if there is a carry (d) A "Subtract" and test if the result is zero
	7.	Answer:(d) Given 8-bit storage, how many valid numbers can binary and BCD code represent respectively? (a) 256 and 256 (b) 128 and 128 (c) 256 and 100 (d) 256 and 128 (e) 128 and 100 Answer:(c)

B. (3 pts each) Multiple choices. Select **all** correct answers (≥ 1) from the following

results 1pt.

questions. Selecting wrong answers results 0pt, and partial but not all correct choices

1.	Which decimal value does the two's complement binary number: 00011001 have?
	a) 25 in 8-bit register
	b) -7 in 5-bit register (take the bottom 5 bits)
	c) -7 in 4-bit register (take the bottom 4 bits)
	d) 25 in 6-bit register (take the bottom 6 bits)
	Answer: (a), (b), (c), (d)
2	Which of the following are valid BCDs (binary-coded decimal)?
2.	a. 0000 0010 0011 0100 1100
	b. 1001 0001 0100 0000 1000 ⊚
	c. 0111 0110 0101 1100 1001
	d. 0000 1001 1000 0011 0100 ☺
3.	An overflow could occur when
	a) Adding a positive and a negative number
	b) Subtracting two negative numbers
	c) Subtracting a positive from a negative
	d) Subtracting two positive numbers
	e) Adding two negative numbers
	Answer: c), e)
4.	Which statements are correct about Booth's Algorithm?
	a) It may reduce the number of additions in a multiplication
	b) It may increase the number of additions in a multiplication
	c) It may involve both addition and subtraction in a multiplication
	d) It cannot be applied to negative multiplicand or multiplier
	e) When the multiplier is negative, perform a subtraction for the MSB Answer: a) b) c)
	Allswei. a) b) c)
C. (1 pt)	each blank) Fill in the blanks
	Convert the following numbers into corresponding binary/octal/hexadecimal
	numbers. $63.25_{10} = 0.000000000000000000000000000000000$
2.	Use a 4-bit representation to fill in the following blanks:
	a) For -7 ₁₀ , its sign-magnitude binary is1111; its
	one's complement binary is1000; and its
	two's complement binary is1001
	b) The value range of two's complement form is87
3.	The binary representation for 2.5 ₁₀ is10.1 Using the IEEE 754
	single-precision floating-point standard, we should shift the above binary to
	the right by $_1$ _bit which gives you $(_1.01_) \times 2^{(_1)}$. The IEEE 754 uses 8
	bits for exponent and 127 as the bias, thus the exponent of the above number
	is _10000000 The significant (23 bits in total) is
	01000000000000000000000 Finally, the sign bit of this value should be
	0
ъ с	claudations. Has a 16 hit maniature relative the manufacture of
	alculations. Use a 16 -bit register, calculate the result using two's complement
01	naries as if it was done by an ALU.

$512_{10} - 1025_{10}$

512+(-1025) = 11111101111111111

E. Show the procedure of multiplying these two numbers (both are in 2's complement form) using "Implementation 3", i.e. combining multiplier and partial product in the product register.

$$101101_2 \times 1101_2$$

101101 0000000|1101 + 101101|1101 — 1101101|110 — 11101101|11 + 10100001|11 —

000111001|1 —

F. (extra credits, 5pt) Show why Booth's algorithm works for negative multiplier using 2's complement binary

Assume a negative multiplier: $a_{31}a_{30}...a_{1}a_{0} = a_{31} \times (\textbf{-2^{31}}) + a_{30} \times 2^{30} + ... + a_{1} \times 2^{1} + a_{0} \times 2^{0}$

 $b\times (a_{31}a_{30}\dots a_1a_0\)=(0-a_0)\times b\times 2^0+(a_0-a_1)\times b\times 2^1+\dots+(\ a_{30}-\ a_{31})\times b\times 2^{31}$